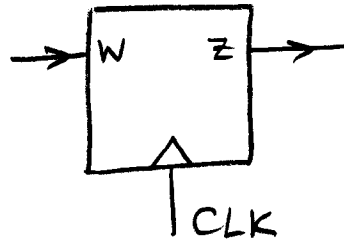


# EXAMPLE OF MEALY VS. MOORE IMPLEMENTATIONS:

(p. 447, B & V.)

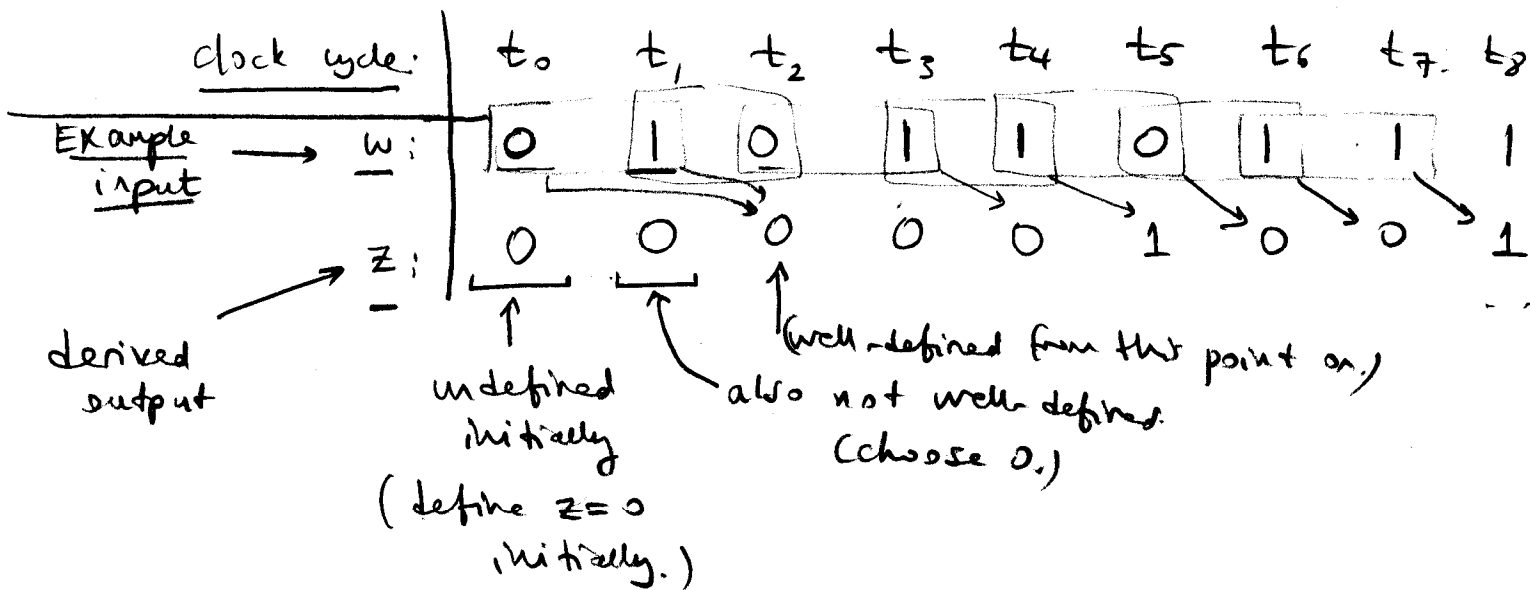


$Z = 1$  iff "during the last two clock cycles,

$W = 1$ " (not counting the current cycle.)

[• IMPLEMENT AS A MOORE MACHINE]

Step 1: Do some examples to make sure you understand the problem:



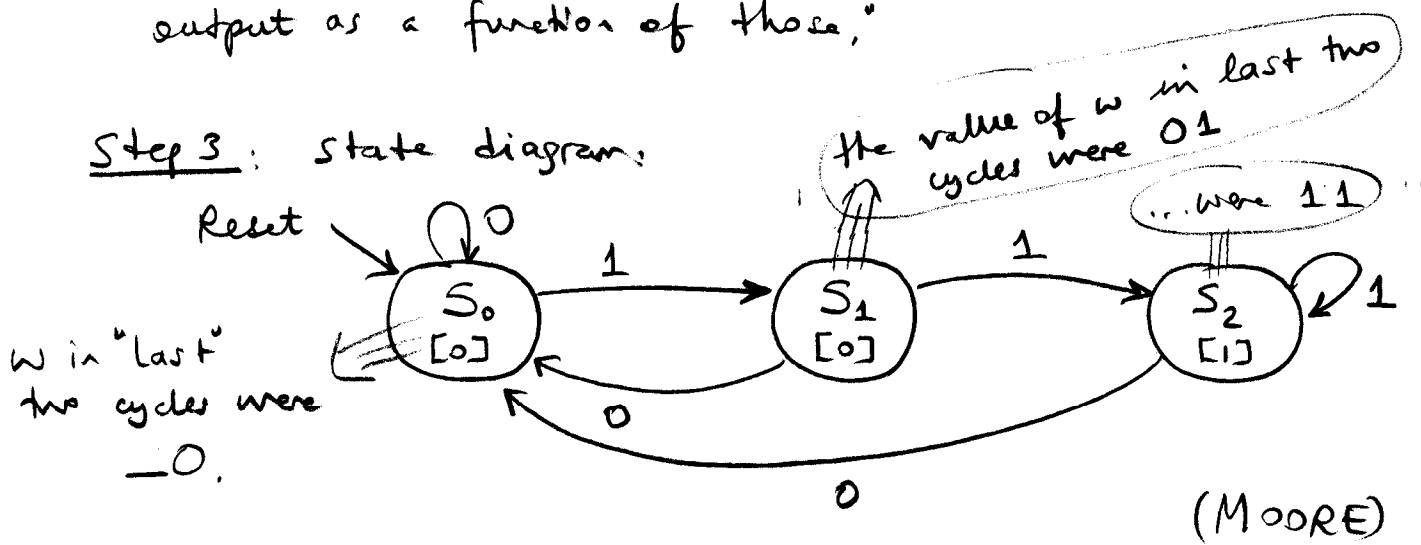
(Note: Moore machine assumed here; the output cannot depend on the current input.)

Step 2 ; (hardest part),

Define the state of the machine

Idea: "This machine has to 'remember' both the  $w$  one clock cycle ago, and the  $w$  two clock cycles ago. If I have those, then I can determine the output as a function of those."

Step 3: state diagram:



(Note: In step 1: it appears in the next cycle because has to wait for the clock edge.)

Mealy: output can depend on the current inputs.

clock cycle	$t_0$	$t_1$	$t_2$	$t_3$	$t_4$	$t_5$	$t_6$	$t_7$	$t_8$
$w$	0	1	0	1	1	0	1	1	1
$z$	0	0	0	0	1	0	0	1	1

↑  
same pattern as Moore But 1 cycle early!



$Q_1^+$

		$Q_1, Q_0$			
		00	01	11	10
$X$	0	0	0	X	0
	1	0	1	X	1

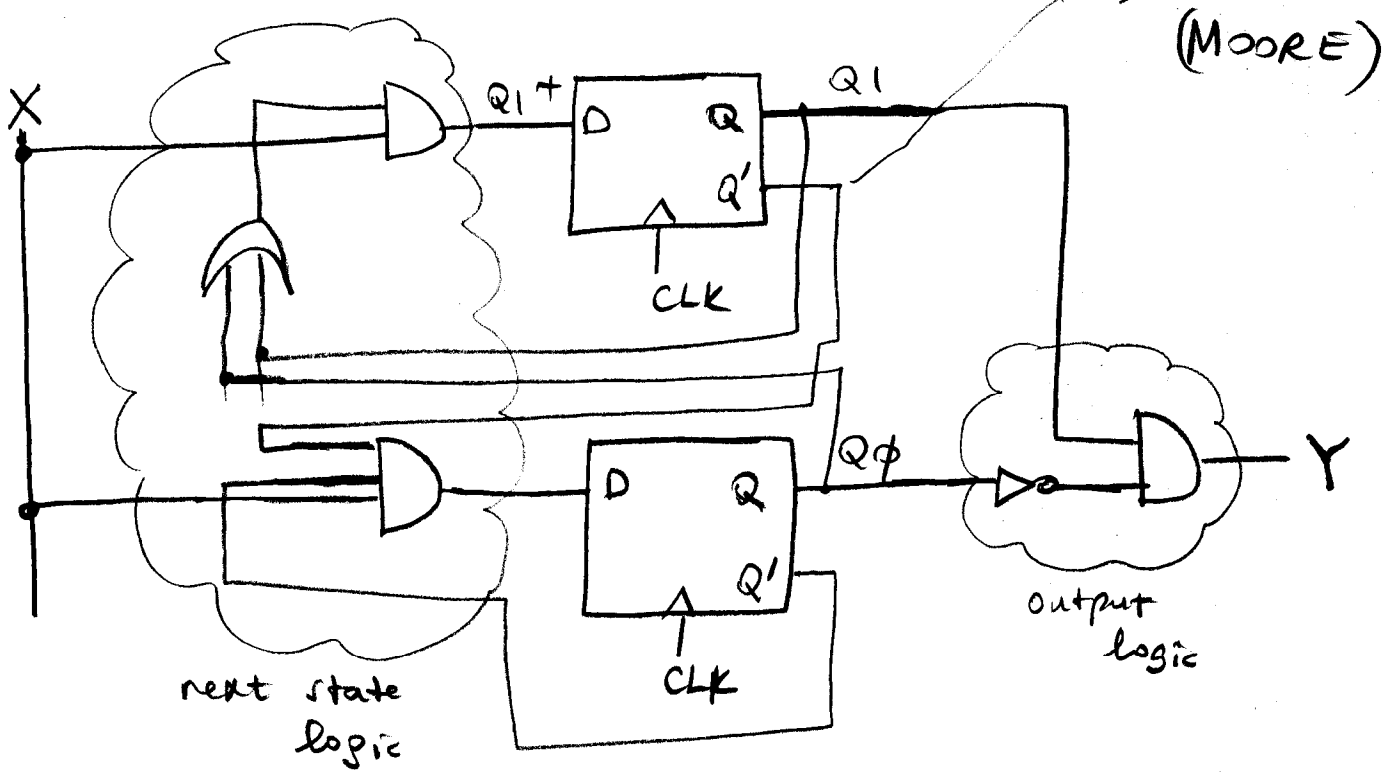
$Q_1^+ = X \cdot [Q_1 + Q_0]$

$Q_0^+$

		$Q_1, Q_0$			
		00	01	11	10
$X$	0	0	0	X	0
	1	1	0	X	0

$Q_0^+ = X \cdot Q_1' \cdot Q_0'$

Circuit:



note: (using  $Q_1'$ )

(MOORE)

next state logic

output logic

Mealy:

state table:

X	Q	Q <sup>+</sup>	Y
0	0	0	0
0	1	0	0
1	0	1	0
1	1	1	1

note state assignment:

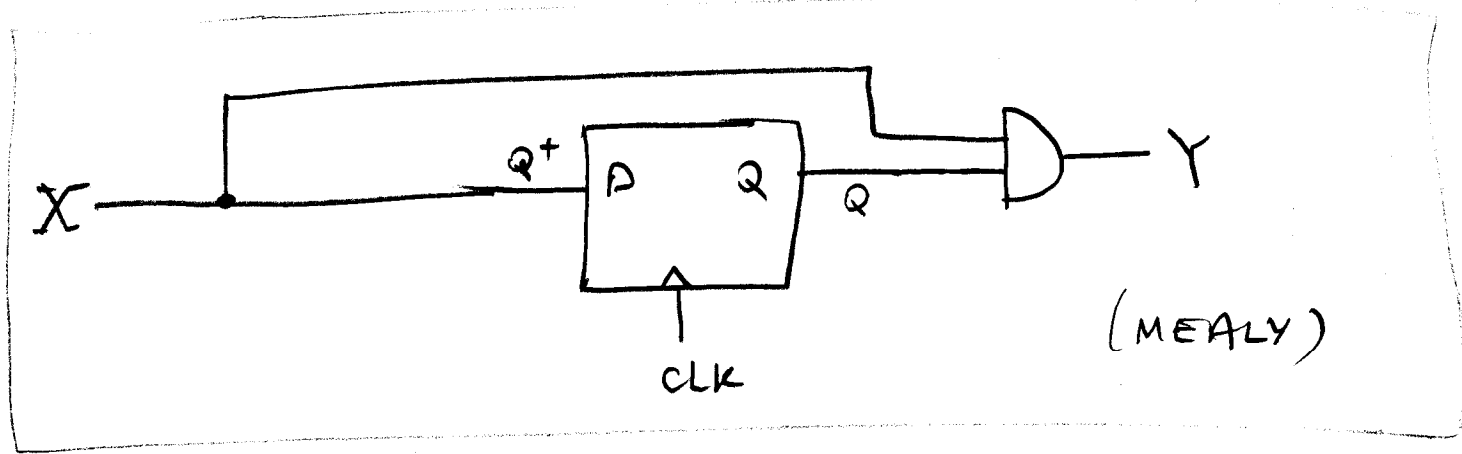
$$S_0 = \begin{matrix} Q_1 \\ 0 \end{matrix}$$

$$S_1 = \begin{matrix} Q_1 \\ 1 \end{matrix}$$

Then:

$$Q^+ = X$$

$$Y = X \cdot Q$$



- 1 makes a lot of sense: we are ANDing the value of X in previous cycle with current value of X.
- 2 Mealy is much simpler and more natural here. — note that difficult to make direct comparison of Mealy-Moore states
- 3 — general caveats about Mealy still apply though.